

UPDATE ON EXPERIMENTAL ASPECTS OF LEPTON-FLAVOUR VIOLATION

G.W. WILSON
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- ① $\tau \rightarrow eee$
 $\tau \rightarrow e\mu\mu$
 $\tau \rightarrow \mu\mu\mu$ etc.

LC Z^0 FACTORY = A TAU FACTORY TOO

- ② $Z \rightarrow e\mu$
 $Z \rightarrow e\tau$
 $Z \rightarrow \mu\tau$

SEE FRASCATI TALK
FOR DETAILS

(NB. hep-ph/9809322
is wrong)

NEUTRINOLESS TAU DECAYS

LC τ FACTORY $\mathcal{L} = 5.6 \times 10^{33}$ @ $\sqrt{s} = m_{\tau}$

With $P_{-} = 0.8, P_{+} = 0.6 \Rightarrow 4 \times 10^9 \tau^{\pm}$'s / 10^7 's year

$\Rightarrow 3 \times 10^8 \tau$'s per 10^7 's year too

(B-factories : $6 \times 10^7 \tau$'s per 10^7 's year at peak luminosity of 3×10^{33} .)

Search for $\tau \rightarrow eee$
 $\tau \rightarrow e\mu\mu$
 $\tau \rightarrow \mu\mu\mu$ etc.

Can extend from present

$$B(\tau \rightarrow lll) < \approx 2 \times 10^{-6} \text{ @ } 90\% \text{ CL} \quad (\text{CLEO 3B})$$

to of order

$$B(\tau \rightarrow lll) < 2 \times 10^{-8}$$

(assuming $\epsilon = 40\%$, bkgd negligible, no signal.)

90% CL
 ϵ, b needs to be established.

(B-factory sensitivity $\approx 2 \times 10^{-7}$) ($\epsilon = 20\%$ like CLEO)

$$\Rightarrow B(\tau \rightarrow l\tau) \lesssim 8 \times 10^{-8}$$

95% CL

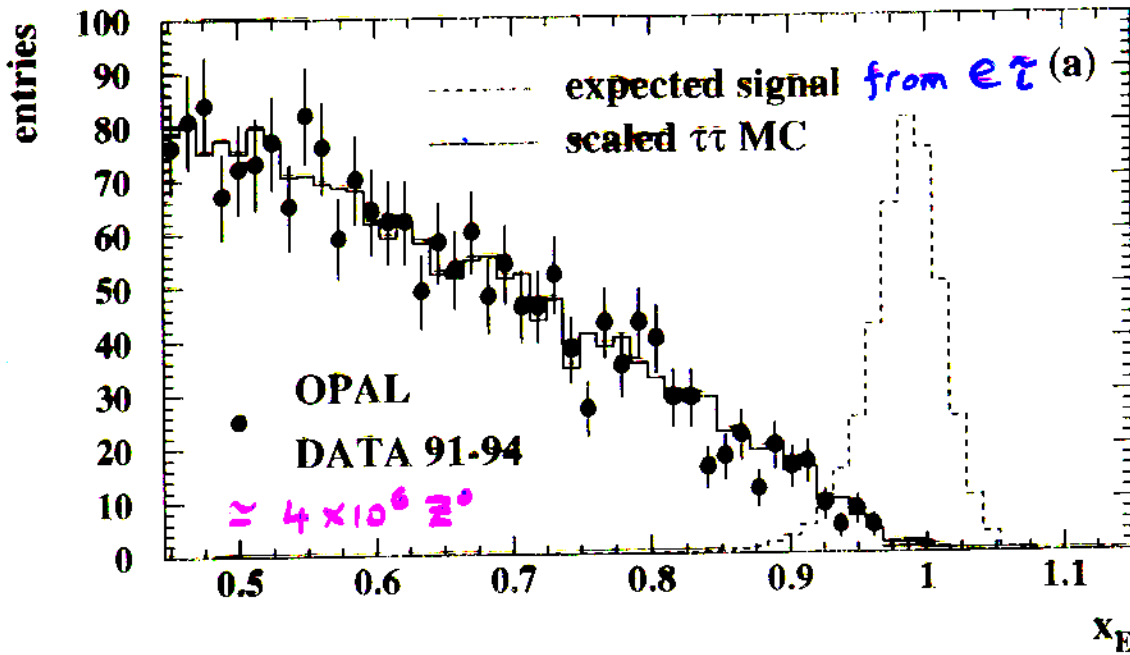
LEP1 SENSITIVITY

PDG 98 : 95% CL UPPER LIMITS ON

	$B(Z \rightarrow \mu\tau)$	$B(Z \rightarrow e\tau)$	$B(Z \rightarrow e\mu)$
ALEPH	100×10^{-6}	120	26
DELPHI	12×10^{-6}	22	2.5
L3	19	13	6
OPAL	17	9.8×10^{-6}	1.7×10^{-6}

(ALL DATA NOT YET ANALYSED!)

FOR EXAMPLE :



$$\frac{\sqrt{E}}{E} = 2.5\%$$

SENSITIVITY IS LIMITED BY
THE $\tau^+\tau^-$ BACKGROUND

WITH $\tau \rightarrow e \nu_e \nu_\tau$ FOR $Z \rightarrow e\tau$
AND $\tau \rightarrow \mu \nu_\mu \nu_\tau$ FOR $Z \rightarrow \mu\tau$
WHERE THE LEPTON FROM THE τ DECAY
IS NEAR THE ENDPOINT.

$$\underline{\underline{Z \rightarrow e\mu}}$$

(N.B. $B(\mu \rightarrow eee)$ constraints $\Rightarrow B(Z \rightarrow e\mu) < 6 \times 10^{-13}$!)
Some caveats though

with exptl. resolution on 45 GeV e and μ

$$\text{of } \left(\frac{\Delta p}{p}\right)_{\mu} = 0.5\% \quad \text{and} \quad \left(\frac{\Delta E}{E}\right)_e = 1.5\%$$

btgd from $Z \rightarrow \tau^+ \tau^- \rightarrow e^+ \mu^+ \nu_e \nu_{\mu} \nu_c \bar{\nu}_{\tau}$
is small
($< 2 \times 10^{-8}$ per Z^0
within $\approx \pm 2\sigma$)

Expect 95% CL of about

$$B(Z \rightarrow e\mu) < 2 \times 10^{-9}$$

input $\epsilon = 40\%$

btgd ≈ 0 .

$$\underline{\tau \rightarrow \mu\tau, \bar{\tau} \rightarrow e\tau}$$

LIMITING FACTOR : $\tau^+\tau^- \rightarrow \ell^+\nu_\ell\nu_\tau X^-\nu_\tau$
with ℓ near endpoint.

Example

Use $x_{\text{meas}} > 1.0$ as signal region ($\epsilon = 50\%$)

probability ($\tau^+\tau^- \rightarrow \ell$ with $x_{\text{meas}} > 1.0$)

$$= 5 \times 10^{-6} \left[\frac{\left(\frac{\Delta p}{p}\right)}{0.5\%} \right]^2$$

$$= \frac{5 \times 10^{-6}}{4.5 \times 10^{-5}} \frac{\mu}{e}$$

Expected 95% CL upper limits for $x_{\text{meas}} > 1.0$
(bgd uncertainty = 0).

$\epsilon = 40\%$

	$B(\tau \rightarrow \ell\tau)$ (95% CL)	S/B
$\mu\tau$	2.2×10^{-8}	0.05
$e\tau$	6.5×10^{-8}	0.017

NOT BAD!

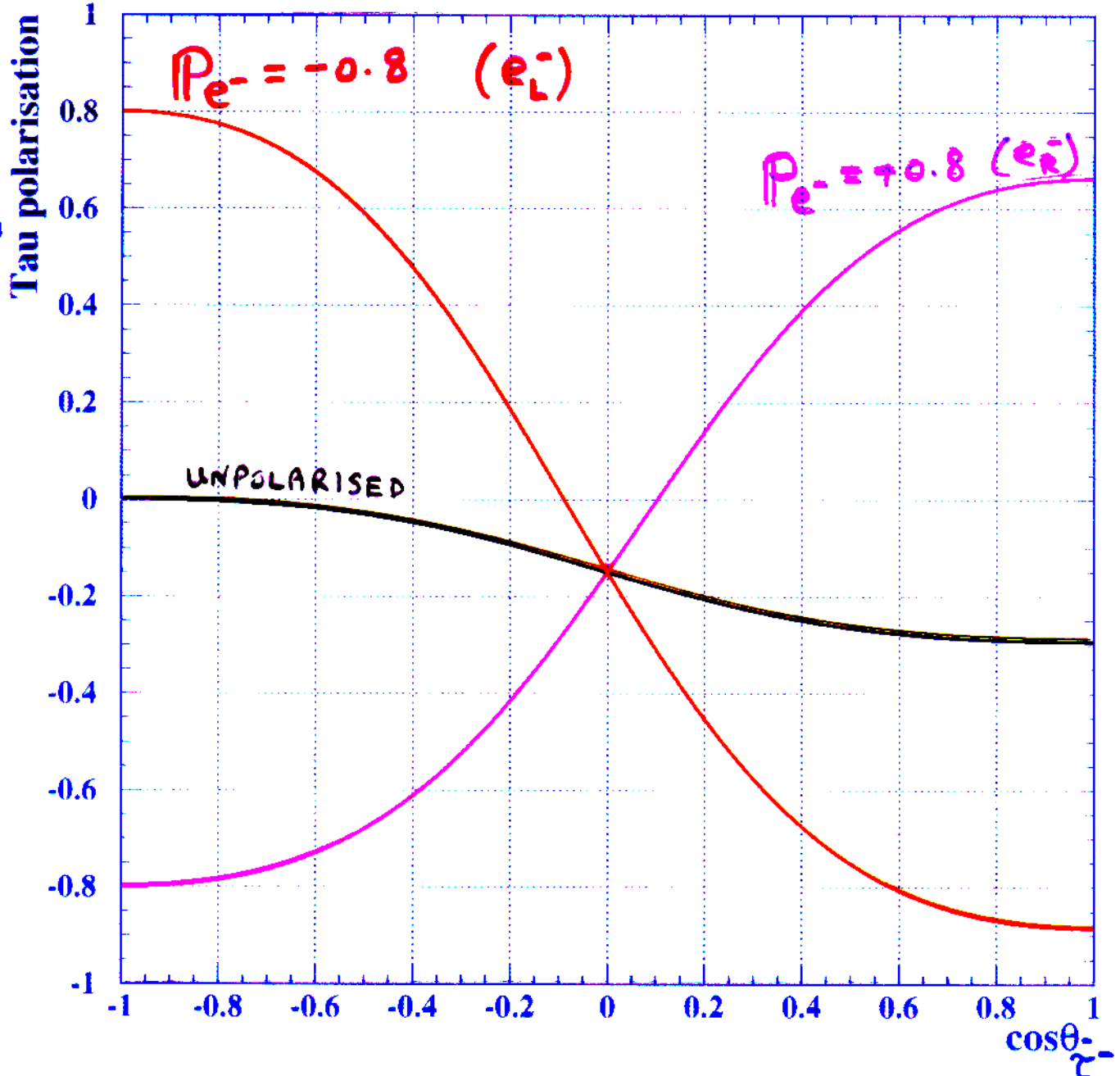
BUT CAN DO BETTER AND PROBABLY NEED TO IMPROVE THE PURITY.

BEAM POLARISATION

WITH HELP FROM
ERIC TORRENCE.

$$\frac{N_+ - N_-}{N_+ + N_-}$$

≡



eg. with $P_{e^-} = -0.8$
for $\cos \theta_{\tau^-} > 0.5$

τ^- is $\approx 92\%$ $\lambda = -1$
so $\tau^+ \rightarrow \rho^+$ with $\lambda = 1$
reduced by \approx a
factor of 12!

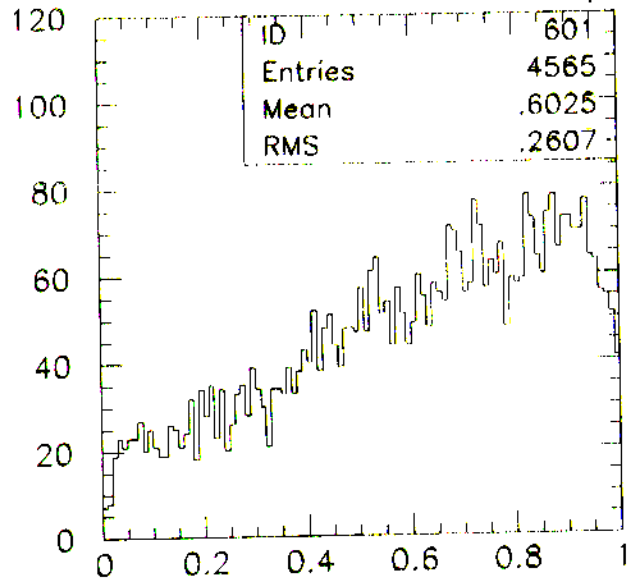


KORALZ

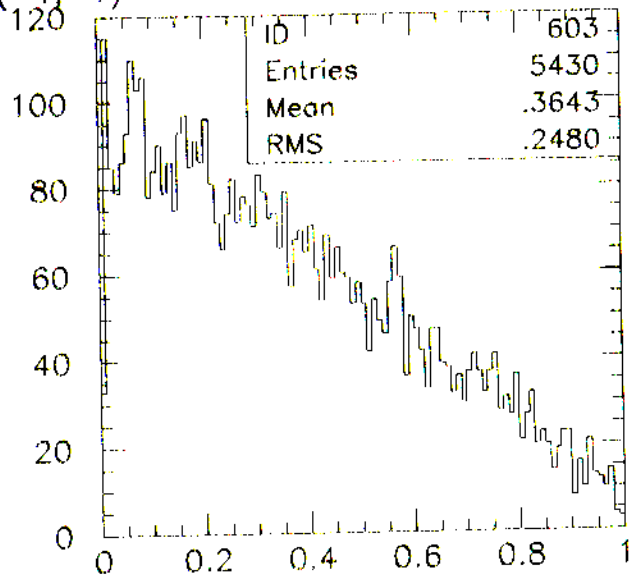
$$P_{e^-} = -1 \quad (e_L^- e_R^+)$$

$$P_{e^+} = +1$$

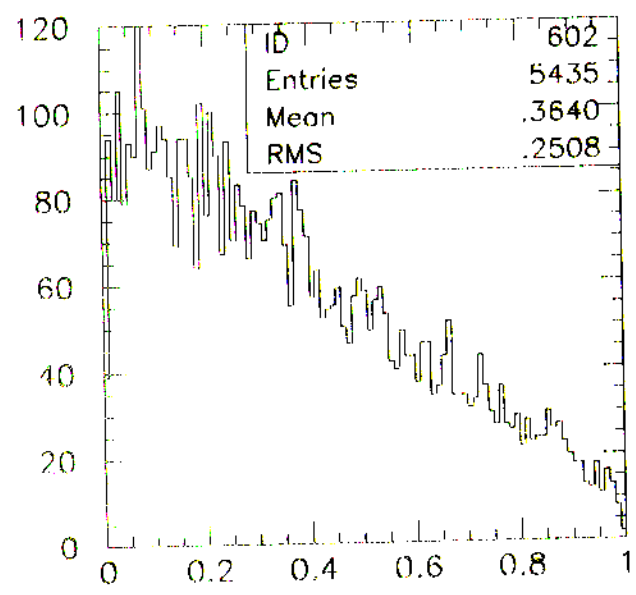
pol3 (-1, -1)



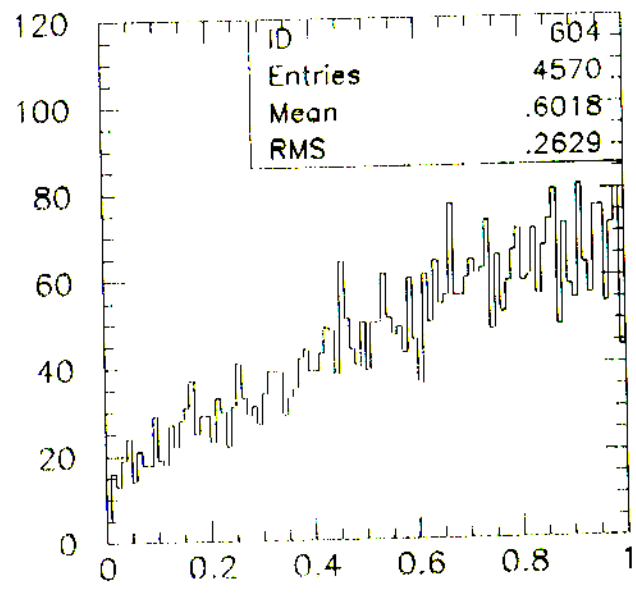
XPI- (- COSTH)



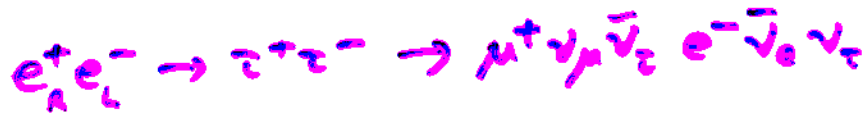
XPI+ (- COSTH)



XPI- (+ COSTH)

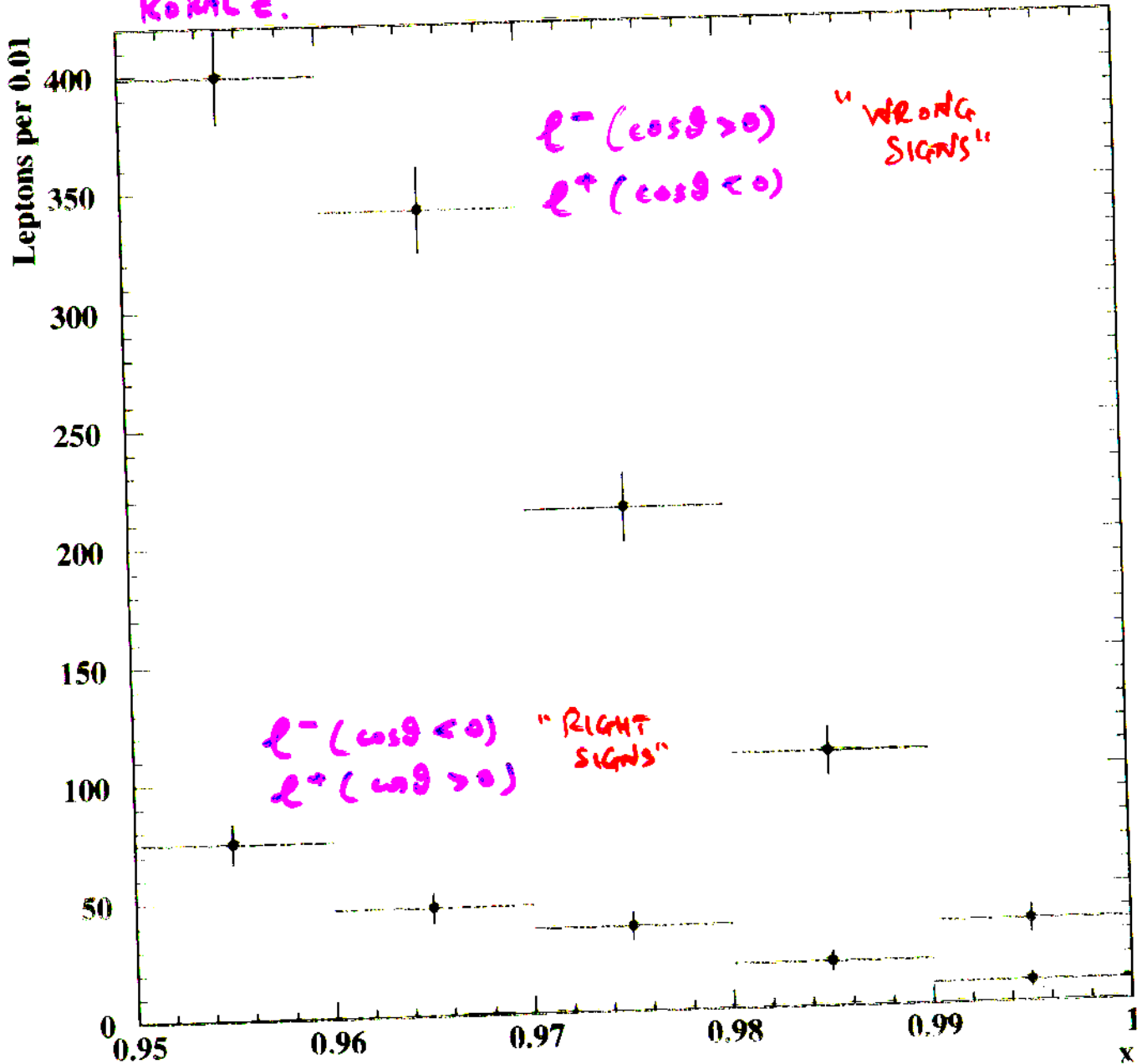


XPI+ (+ COSTH)



$6 \times 10^5 \tau \rightarrow$ lepton decays

KORALZ.



For $x > 0.98$

$$x = \frac{p_{e,\mu}}{E_b}$$

$$\frac{\text{WRONG SIGNS}}{\text{RIGHT SIGNS}} = \frac{5}{1}$$

\Rightarrow CAN REDUCE BKGD BY 5 FOR $\epsilon \approx 45\%$.

... TO BE OPTIMISED.

SENSITIVITY ESTIMATES

$$B(\bar{z} \rightarrow \Delta \Delta) < 2 \times 10^{-8} \quad 95\% \text{ C.I.}$$

$$B(\bar{z} \rightarrow \sigma \mu) < 2 \times 10^{-9} \quad 95\% \text{ C.I.}$$

$$B(\bar{z} \rightarrow \mu \bar{z}) < f \cdot 2.2 \times 10^{-8} \quad 95\% \text{ C.I.}$$

$$B(\bar{z} \rightarrow \sigma \bar{z}) < f \cdot 6.5 \times 10^{-8}$$

$$f = 0.5 \begin{matrix} +0.5 \\ -0.3 \end{matrix}$$

FROM IMPROVED METHODS.